On the quasilinear degenerate parabolic equations

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In this work quasilinear parabolic equation with weighted p-Laplacian operator and variable coefficients are considered. We first show that the initial value problem is well-posed and we then prove the existence of the global attractor in $L^2(R^n)$. This is a joint work with Azer Khanmamedov.

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