## The Robin problem for the scalar Oseen equation

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We study the Robin problem for the scalar Oseen equation

$$-\Delta u + 2\lambda \partial_1 u = 0 \quad \text{in } \Omega \subset \mathbb{R}^3,$$

with prescribed boundary condition

$$\frac{\partial u}{\partial n} + hu = g \quad \text{on } \partial\Omega,$$

where h denotes a positive function, and the Robin problem with the boundary condition

$$\frac{\partial u}{\partial n} - \lambda n_1 u + h u = g \quad \text{on } \partial \Omega$$

with  $h \ge 0$ . We prove unique solvability of these problems, a representation of the solution in form of a scalar Oseen single layer potential, and the maximum principle for the solution of the Robin problem for the scalar Oseen equation.

References

[1] D. Medková, E. Skopin, W. Varnhorn: The Robin problem for the scalar Oseen equation. Mathematical Methods in the Applied Sciences, to appear.